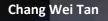


Tamping Effectiveness Prediction using Supervised Machine Learning Techniques







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Outline

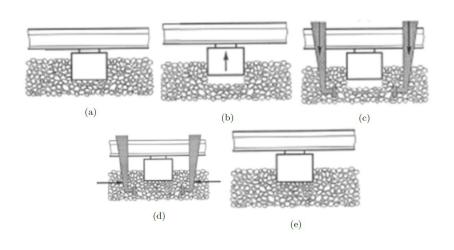
- 1. Tamping Maintenance
- 2. Motivation
- 3. Methodology
 - Data
 - Machine Learning techniques
- 4. Results
- 5. Conclusion & Future Work

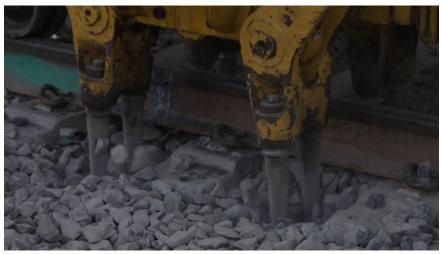




Tamping Maintenance

Reset track geometry by rearranging the ballast particles



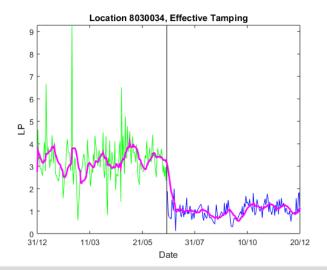


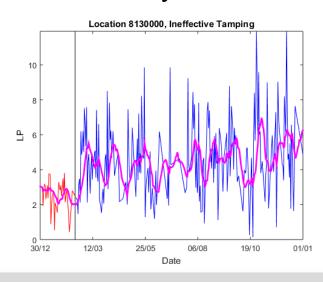




Motivation

- Historical data shows that it is not always effective
- Ineffective tamping reduces tracks' life-cycle









What can we do?

- Predict Tamping Effectiveness
- A recent work calculates tamping effectiveness using ratio of average responses before and after tamping.
- Challenging problem due to many complex phenomena
- Important for 3 reasons
 - 1. Minimise maintenance cost and time
 - 2. Reduce unplanned downtime
 - 3. Avoid cost of failure recovery





Predict if tamping will be effective for a track location

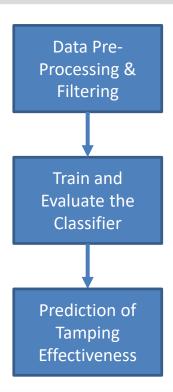






How to do it?

- 1. Data pre-processing & filtering
 - Convert acquired data from Instrumented Revenue Vehicles (IRVs) into time series for each track location
- 2. Train a classifier
 - k-Nearest Neighbours
 - Classification tree
 - Naïve Bayes
- 3. Evaluate and cross-validate the performance of the classifier
- 4. Predict tamping effectiveness







1. Data – Instrumented Revenue Vehicles (IRVs)

- Continuous monitoring system that uses measured wagon's dynamic activity to infer information about track condition
- Installed on normal revenue wagons
 - Cheap
 - Do not affect normal operations
- Measures:
 - Speed
 - Axle Load
 - Suspension
 - In Train Forces

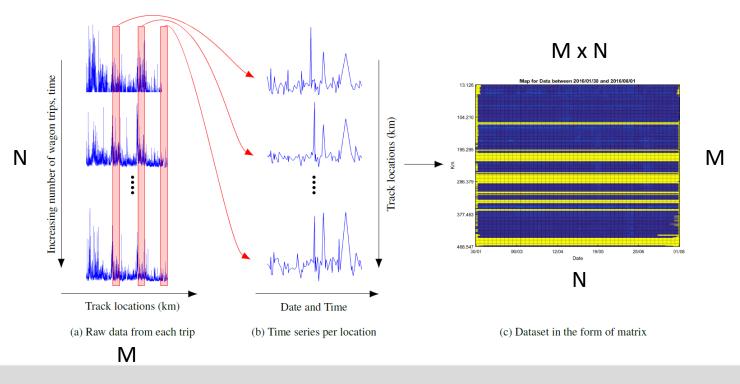


Image taken from <u>UniversalMechanism</u>





1. Data – IRVs Time Series







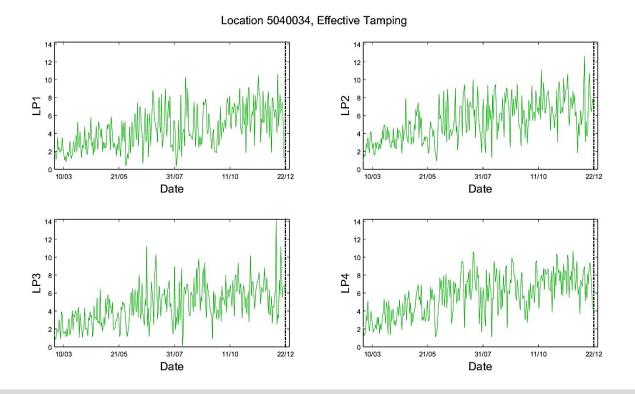
1. Data – IRVs Time Series

- Multivariate sensor data from IRVs collected between February to July 2016
- Multiple trips form a 4 dimensional time series for each track location
- Filters
 - Locations without tamping
 - Locations with less than 30 trips
- Pre-process
 - Linearly interpolate missing data
 - Label each location with tamping effectiveness
 - Effective and Ineffective
- Resample data to days with the average of the day





1. Data – Instrumented Revenue Vehicles Time Series

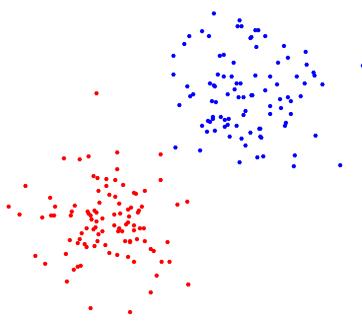






2. Train a classifier

- Supervised machine learning
 - Train a classifier using labelled data
 - Training time
 - Learn the characteristics of the data using labelled data
 - Testing time
 - Label a query object using the learnt characteristics from the training data
- Time series classification
 - k-Nearest Neighbour (k-NN) Classifier







2. Train a classifier - Time series classification (TSC)

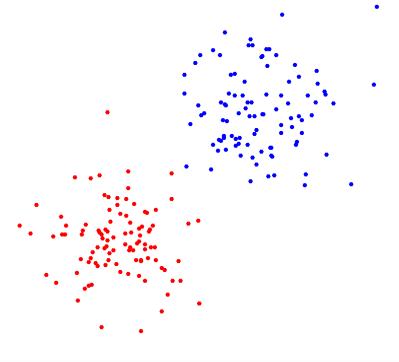
- Many algorithms that uses static features
 - Naïve Bayes
 - Classification Trees
- In most applications, features changes
- "Incorrect" to classify by observing only the static features
- k-NN is a better alternative





2. Train a classifier - k-NN Classifier

- State-of-the-art for time series classification
 - Performed the best over a wide range of time series dataset
- Outperforms others with large database size
- Search for the kth most similar objects (time series)
- Labels the query using the majority label of the kth nearest neighbours
- Uses a similarity measure





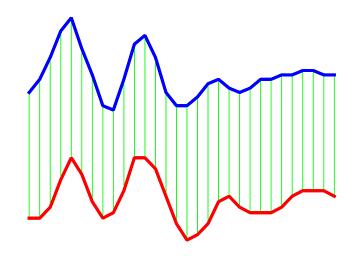


2. Train a classifier – Comparing time series (Euclidean Distance, ED)

- Calculate a distance between the two time series
- Simplest distance measure is Euclidean Distance (ED)

ED
$$(x, y) = \sqrt{\sum_{i=1}^{d} (x_i - y_i)^2}$$

- Euclidean distance cannot handle distortions in time axis, different length
- Time series are often shifted in time (distortions) with different length





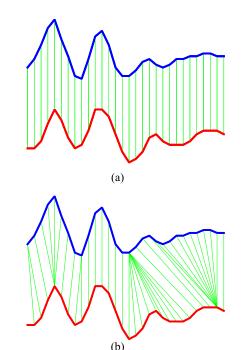


2. Train a classifier - Comparing time series (Dynamic Time Warping, DTW)

- Robust to time axis distortions and can handle different length
- Find alignment between two time series
- Given two time series X and Y of length n and m,

$$\mathrm{DTW}(X,Y) = \mathrm{ED}(x_1,y_1) + \min \begin{pmatrix} \mathrm{DTW}\big(\mathrm{Tail}(X),\mathrm{Tail}(Y)\big) \\ \mathrm{DTW}\big(\mathrm{Tail}(X),Y) \\ \mathrm{DTW}\big(X,\mathrm{Tail}(Y)\big) \end{pmatrix}$$

• Tail(X) = { $x_2, x_3, ..., x_n$ }





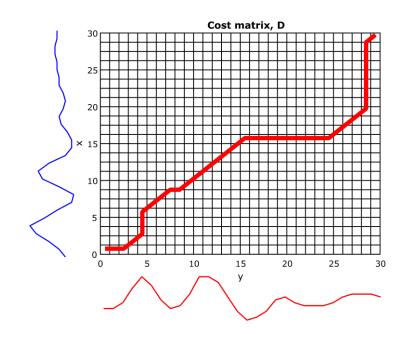


2. Train a classifier - Dynamic Time Warping (DTW)

- Dynamic Programming
- Constructs n×m cost matrix D and find a warping path (red) that minimises the alignment cost of the two time series

$$D(i,j) = ED(x_i, y_j) + \min \begin{pmatrix} D(i-1, j-1) \\ D(i-1, j) \\ D(i, j-1) \end{pmatrix}$$

$$DTW(X,Y) = D(n,m)$$







2. Train a classifier - Classifiers

- k-Nearest Neighbour (k-NN)
 - State of the art and widely used in many TSC applications
 - Simple and effective algorithm that does not require training
 - Labels query by finding the kth most similar time series
- Classification Tree (CART)
 - Build a decision tree to classify the query based on some rules (features)
- Naïve Bayes
 - Classifies the query based on the posterior of each class observed from the features of training database





3. Evaluation and Validation

- Binary classification
- Compute performance metric for both effective and ineffective tamping

- Accuracy,
$$A = \frac{TP+TN}{TP+FP+TN+FN}$$

- Precision,
$$P = \frac{TP}{TP + FP}$$

- Sensitivity,
$$S = \frac{TP}{TP + FN}$$

-
$$F_1$$
 Score, $F_1 = 2 \cdot \frac{P \cdot S}{P + S}$

_	F ₁ Score,	F_1	=	2 ·	$P \cdot S$
	1 = 0 0 . 0 ,				P+S

- 10-fold cross validation
 - Split and validate the training database





Ineffective tamping

False negative (FN)

True negative (TN)

Actual\Predict

Effective tamping

Inffective tamping

Effective tamping

True positive (TP)

False positive (FP)

4. Tamping effectiveness prediction with *k*-NN

```
Algorithm 1: \varepsilon = \text{predict\_effectiveness}(Q, D)
   Input: Q: Query time series
   Input: D: Training dataset
   Output: \varepsilon: Tamping effectiveness
                                                                        List for K-NN
 1 \ knn = \emptyset;
 2 knn.distance = \infty
 3 for all C \in D do
      d = DTW(Q, C)
      if d < max(knn.distance) then
                                                                         Updates the list if
          remove the furthest neighbour from knn
                                                                         nearest than the
          knn.add(C,d)
                                                                         furthest distance
      end
 9 end
                                                                        Majority class
10 return \varepsilon = \text{mode}(knn.class)
```







- A. Classifiers comparison
- B. Early prediction of tamping effectiveness





Results – Classifiers comparison

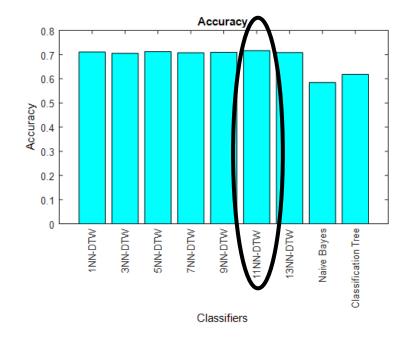
- Show that the state-of-the-art, k-NN works well even for multivariate time series in predicting tamping effectiveness
- Compare with Naïve Bayes and Classification Tree
 - k = 1,3,5,7,9,11,13 for k-NN
 - 6 statistical features, Mean, Standard Deviation, Skewness, Kurtosis, Maximum and Minimum for Naïve Bayes and Classification Tree.

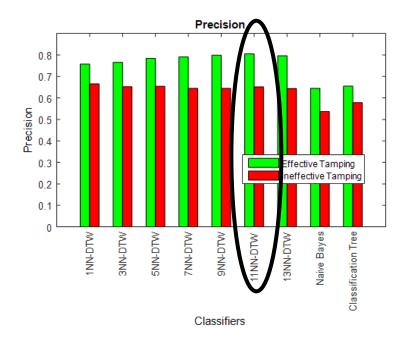




Results – Classifiers comparison

- 11-NN has highest accuracy than other two
- 11-NN has highest precision in predicting both effective and ineffective tamp than other two

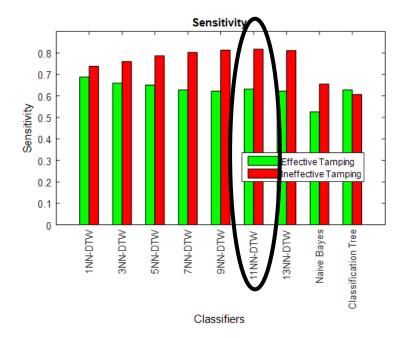




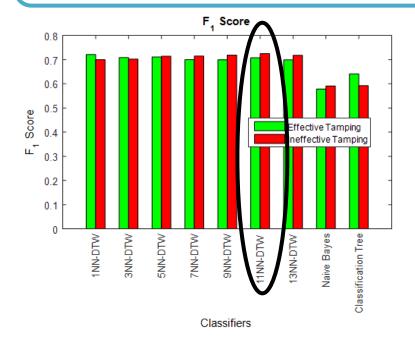




Results – Classifiers comparison



- 11-NN has higher Sensitivity in predicting both effective and ineffective tamp than other two
- 11-NN has higher F₁ Score in predicting both effective and ineffective tamp than other two







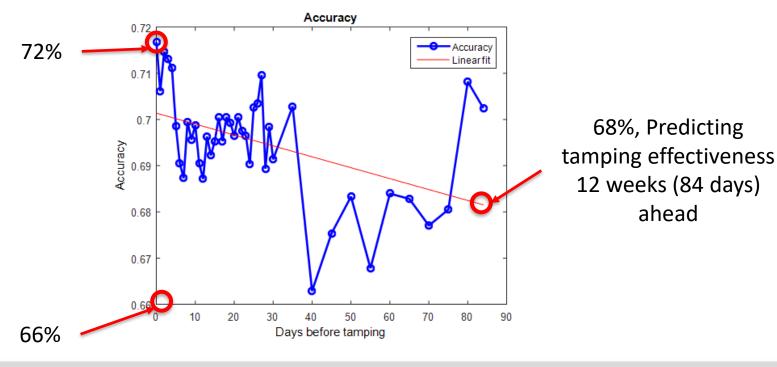
Results – Early Prediction of Tamping Effectiveness

- Predict tamping effectiveness as early as possible, typically 12 weeks
- The earlier we know about the effectiveness, the better the maintenance can be planned.
- Procedure
 - 1. Truncate the existing time series by the number of days before tamping
 - 2. Predict the tamping effectiveness of the query location with 11-NN-DTW
 - 3. Repeat with days ranging from 0 to 84 days (12 weeks)





Results – Early Prediction of Tamping Effectiveness







Conclusion

- Present a tamping effectiveness prediction system using k-NN-DTW.
- Showed that 11-NN-DTW gives good prediction.
- The system is able to give good prediction 12 weeks before tamping.
- Significance
 - Improve efficiency of railway track maintenance
 - Can be used with other maintenance procedures
- Future work
 - Optimise with more data
 - Predicting an actual response











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